$Due\ by\ 5:00pm\ Friday,\ September\ 25.\ Send\ a\ PDF\ with\ your\ solutions\ to\ {\tt blins@hsc.edu}.$ 

- 1. Compute  $\int_0^2 xe^{-x} dx$ .
- 2. Find  $\int_0^{\pi} x \cos(4x) dx.$

3. Use tabular integration to find the antiderivative of  $x^3e^x$ .

4. Find  $\int (\ln x)^2 dx$ . Hint, start by letting  $u = (\ln x)^2$  and dv = dx, and use integration by parts twice.

5. Find  $\int \sin^3 x \cos^2 x \, dx$ .

6. Compute 
$$\int_0^{\pi/3} \tan^3 x \sec^2 x \, dx.$$

7. Evaluate 
$$\int \frac{\cos \theta}{\sqrt{\sin \theta}} d\theta.$$

8. Make a rough sketch of the slope field for the differential equation  $\frac{dy}{dx} = \frac{x+y}{x-y}$ . (Either hand drawn or copied and pasted from a computer is fine).

9. Use Euler's method to estimate the value of y(5) for the differential equation  $\frac{dy}{dx} = \frac{x+y}{x-y}$  with initial condition y(0) = -1. Use  $\Delta x = 0.01$ .

10. On midterm 1 we looked at the differential equation  $\frac{dy}{dx} = 1 - x - y$  with initial condition y(-1) = 0, but we never solved it. Use Euler's method to estimate where the solution curve crosses the y-axis using  $\Delta x = 0.01$  and  $\Delta x = 0.001$ . Does using a smaller  $\Delta x$  make a difference?