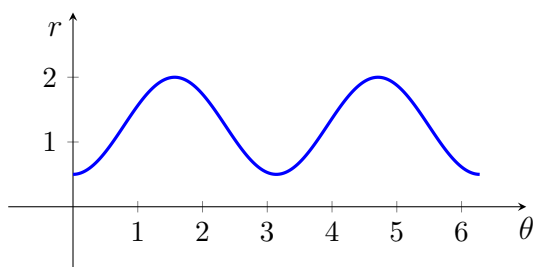


Part 1

- Sketch the region of the plane whose polar coordinates satisfy the given conditions.
 - $1 \leq r \leq 2, \quad \pi/4 \leq \theta \leq \pi$
 - $0 < r \leq 4$
 - $-1 \leq r \leq 1, \quad \pi/4 \leq 3\pi/4$
- Sketch the curve with the given polar equation without a computer.
 - $r = \sin(\theta)$
 - $r^2\theta = 1$
- The figure below shows the graph of r as a function of θ in rectangular coordinates. Use it to sketch the corresponding polar curve.



- Use a computer or calculator to graph the polar curve. Choose the parameter interval to make sure you produce the entire curve.
 - $r = 1 + 2\sin(\theta/2)$ (nephroid of Freeth)
 - $r = \sqrt{1 - 0.8\sin^2\theta}$ (hippopede)
- Use a computer or calculator to investigate the family of curves defined by the polar equations $r = \sin(n\theta)$, where n is a positive integer. How is the number of loops related to n ?
 - How is the number of loops related to n if $r = |\sin(n\theta)|$? *In Sage the absolute value function is: `abs( )`.*
- A family of curves is given by the equations $r = 1 + c\sin\theta$, where c is a real number. What kinds of shapes are possible? How do the shapes of the curve change as c changes? Make sure you graph enough examples to support your conclusions. (These curves are called **limaçons**).

Part 2

- Graph the polar curves $r = \cos(2\theta)$ and $r = \frac{1}{2}$. At how many points do the two curves intersect?
- Use a computer to sketch the curve and then find the area it encloses.
 - $r = 2\cos(3\theta)$
 - $r^2 = \sin(2\theta), 0 \leq \theta \leq \pi/2$.
- Express dy/dx as a function of θ for the curve $r = 3 + 2\sin(\theta)$